Package 'apt'

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Type Package Title Asymmetric Price Transmission Version 4.0 Date 2024-09-30 Description The transmission between two timeseries prices is assessed. It contains several functions for linear and nonlinear threshold cointegration, and furthermore, symmetric and asymmetric error correction models. **Depends** R (>= 3.0.0), erer Imports car, urca **License** GPL (≥ 2) LazyLoad yes NeedsCompilation no Author Changyou Sun [aut, cre] Maintainer Changyou Sun <edwinsun258@gmail.com> **Repository** CRAN Date/Publication 2024-10-01 14:50:08 UTC

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apt-package

Description

The transmission between two time-series prices is assessed. The names of functions and datasets reveal the categories they belong to. A prefix of da is for datasets, ci for cointegration, and ecm for error correction model.

The focus is on the price transmission between *two* price variables. Therefore, objectives like fitting an error correction model for more than two variables are beyond the scope of this package.

Details

Package:	apt
Type:	Package
Version:	4.0
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Author(s)

Changyou Sun (<edwinsun258@gmail.com>)

ciTarFit

Fitting Threshold Cointegration

Description

Fit a threshold cointegration regression between two time series.

Usage

```
ciTarFit(y, x, model = c('tar', 'mtar'), lag = 1, thresh = 0,
small.win = NULL)
```

ciTarFit

Arguments

У	dependent or left-side variable for the long-run model; must be a time series object.
x	independent or right-side variable for the long-run model; must be a time series object.
model	a choice of two models: tar or mtar; the default is tar.
lag	number of lags for the threshold cointegration regression.
thresh	a threshold value (default of zero).
small.win	value of a small window for fitting the threshold cointegration regression; used mainly for lag selection in ciTarLag.

Details

This is the main function for threshold autoregression regression (TAR) in assessing the nonlinear threshold relation between two time series variables. It can be used to estimate four types of threshold cointegration regressions. These four types are TAR with a threshold value of zero; consistent TAR with a nonzero threshold; MTAR (momentum TAR) with a threshold value of zero; and consistent MTAR with a nonzero threshold. The option of small window will be used in lag selection because a comparison of AIC and BIC values should be based on the same number of regression observations.

Value

Return a list object of class "ciTarFit" with these components:

у	dependend variable
x	independent variable
model	model choice
lag	number of lags
thresh	threshold value
data.LR	data used in the long-run regression
data.CI	data used in the threshold cointegration regression
z	residual from the long-run regression
lz	lagged residual from the long-run regression
ldz	lagged residual with 1st difference from long-run model
LR	long-run regression
CI	threshold cointegration regression
f.phi	test with a null hypothesis of no threshold cointegration
f.apt	test with a null hypothesis of no asymmetric price transmission in the long run
sse	value of sum of squared errors
aic	value of Akaike Information Criterion
bic	value of Bayesian Information Criterion.

Methods

One method is defined as follows:

print: Four main outputs from threshold cointegration regression are shown: long-run regression between the two price variables, threshold cointegration regression, hypothesis test of no cointegration, and hypothesis test of no asymmetric adjustment.

Author(s)

Changyou Sun (<edwinsun258@gmail.com>)

References

Balke, N.S., and T. Fomby. 1997. Threshold cointegration. International Economic Review 38(3):627-645.

Enders, W., and C.W.J. Granger. 1998. Unit-root tests and asymmetric adjustment with an example using the term structure of interest rates. Journal of Business & Economic Statistics 16(3):304-311.

Enders, W., and P.L. Siklos. 2001. Cointegration and threshold adjustment. Journal of Business and Economic Statistics 19(2):166-176.

See Also

summary.ciTarFit; ciTarLag for lag selection; and ciTarThd for threshold selection.

Examples

see example at daVich

ciTarLag

Lag Selection for Threshold Cointegration Regression

Description

Select the best lag for threshold cointegration regression by AIC and BIC

Usage

```
ciTarLag(y, x, model = c("tar", "mtar"), maxlag = 4,
thresh = 0, adjust = TRUE)
```

ciTarLag

Arguments

У	dependent or left-side variable for the long-run regression.
х	independent or right-side variable for the long-run regression.
model	a choice of two models, either tar or mtar.
maxlag	maximum number of lags allowed in the search process.
thresh	a threshold value.
adjust	logical value (default of TRUE) of whether to adjust the window widths so all regressions by lag have the same number of observations

Details

Estimate the threshold cointegration regressions by lag and then select the best regression by AIC or BIC value. The longer the lag, the smaller the number of observations available for estimation. If the windows of regressions by lag are not ajusted, the maximum lag is usually the best lag by AIC or BIC. Theorectially, AIC and BIC from different models should be compared on the basis of the same observation numbers (Ender 2004). adjust shows the effect of this adjustment on the estimation window. By default, the value of adjust should be TRUE.

Value

Return a list object of class "ciTarLag" with the following components:

path	a data frame of model criterion values by lag, including lag for the current lag,
	totObs for total observations in the raw data, coinObs for observations used
	in the cointegration regression, sse for the sum of squared errors, aic for AIC
	value, bic for BIC value, LB4 for the p-value of Ljung_Box Q statistic with 4
	autocorrelation coefficients, LB8 with 8 coefficients, LB12 for Q statistic with 12 coefficients
out	a data frame of the final model selection, including the values of model, maxi- mum lag, threshold value, best lag by AIC, best lag by BIC

Methods

Two methods are defined as follows:

print: This shows the out component in the returned list.

plot: This demonstrates the trend of AIC and BIC changes of threshold cointegration regressions by lag. It facilitates the selection of the best lag for a threshold cointegration model.

Author(s)

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References

Enders, W. 2004. Applied Econometric Time Series. John Wiley & Sons, Inc., New York. 480 P. Enders, W., and C.W.J. Granger. 1998. Unit-root tests and asymmetric adjustment with an example using the term structure of interest rates. Journal of Business & Economic Statistics 16(3):304-311.

See Also

ciTarFit; and ciTarThd;

Examples

see example at daVich

ci	Tar	T	hd	

Threshold Selection for Threshold Cointegration Regression

Description

Select the best threshold for threshold cointegration regression by sum of squared errors

Usage

```
ciTarThd(y, x, model = c('tar', 'mtar'), lag = 1,
th.range = 0.15, digits = 3)
```

Arguments

У	dependent or left-side variable for the long-run regression.
х	independent or right-side variable for the long-run regression.
model	a choice of two models, either tar or mtar.
lag	number of lags.
th.range	the percentage of observations to be excluded from the search.
digits	number of digits used in rounding outputs.

Details

The best threshold is determined by fitting the regression for possible threshold values, sorting the results by sum of squared errors (SSE), and selecting the best with the lowest SSE. To have sufficient observations on either side of the threshold value, certain percentage of observations on the top and bottoms are excluded from the search path. This is usually set as 0.15 by the th.range (Chan 1993).

Value

Return a list object of class "ciTarThd" with the following components:

model	model choice
lag	number of lags
th.range	the percentage of observations excluded
th.final	the best threshold value
ssef	the best (i.e., lowest) value of SSE

daVich

obs.tot	total number of observations in the raw data
obs.CI	number of observations used in the threshold cointegration regression
basic	a brief summary of the major outputs
path	a data frame of the search record (number of regression, threshold value, SSE, AIC, and BIC values).

Methods

Two methods are defined as follows:

- print: This shows the basic component in the returned list object.
- plot: plotting three graphs in one window; they reveals the relationship between SSE (sum of squared errors), AIC, BIC and the threshold values. The best threshold value is associated with the lowest SSE value.

Author(s)

Changyou Sun (<edwinsun258@gmail.com>)

References

Chan, K.S. 1993. Consistency and limiting distribution of the least squares estimator of a threshold autoregressive model. The Annals of Statistics 21(1):520-533.

Enders, W., and C.W.J. Granger. 1998. Unit-root tests and asymmetric adjustment with an example using the term structure of interest rates. Journal of Business & Economic Statistics 16(3):304-311.

See Also

ciTarFit; and ciTarLag

Examples

see example at daVich

daVich

Import prices and values of wooden beds from Vietnam and China

Description

This data set contains two unit import prices (dollar per piece) and values (million dollars) of wooden beds from Vietnam and China to the United States.

price.viMonthly price over Janurary 2002 to Janurary 2010 from Vietnam.price.chMonthly price over Janurary 2002 to Janurary 2010 from China.price.viMonthly value over Janurary 2002 to Janurary 2010 from Vietnam.price.chMonthly value over Janurary 2002 to Janurary 2010 from China.

Usage

data(daVich)

Format

A monthly time series from Janurary 2002 to Janurary 2010 with 97 observations for each of the four series.

Details

Under the Harmonized Tariff Schedule (HTS) system, the commodity of wooden beds is classified as HTS 9403.50.9040. The monthly cost-insurance-freight values in dollar and quantities in piece are reported by country from U.S. ITC (2010). The unit price (dollar per piece) is calculated as the ratio of value over quantity by country.

Source

U.S. ITC, 2010. Interactive tariff and trade data web. US International Trade Commission (Assecced on March 1, 2010).

References

Sun, C. 2011. Price dynamics in the import wooden bed market of the United States. Forest Policy and Economics 13(6): 479-487.

Examples

```
# 3. TAR + Cointegration _____
# best threshold
t3 <- ciTarThd(y=prVi, x=prCh, model="tar", lag=0)</pre>
(th.tar <- t3$basic); plot(t3)</pre>
                                   # 20 seconds
for (i in 1:12) {
 t3a <- ciTarThd(y=prVi, x=prCh, model="tar", lag=i)</pre>
 th.tar[i+2] <- t3a$basic[,2]</pre>
}
th.tar
t4 <- ciTarThd(y=prVi, x=prCh, model="mtar", lag=0); (th.mtar <- t4$basic)</pre>
plot(t4)
for (i in 1:12) {
 t4a <- ciTarThd(y=prVi, x=prCh, model="mtar", lag=i)</pre>
 th.mtar[i+2] <- t4a$basic[,2]</pre>
}
th.mtar
# The following threshold values are specific to this data. They HAVE TO be
# revised for another data set. Otherwise, various errors will occur.
 t.tar <- -8.041; t.mtar <- -0.451  # lag = 0 to 4
# t.tar <- -8.701 ; t.mtar <- -0.451  # lag = 5 to 12
# lag selection
mx <- 12
(g1 <-ciTarLag(y=prVi, x=prCh, model="tar", maxlag=mx, thresh= 0));</pre>
                                                                           plot(g1)
(g2 <-ciTarLag(y=prVi, x=prCh, model="mtar",maxlag=mx, thresh= 0));</pre>
                                                                           plot(g2)
(g3 <-ciTarLag(y=prVi, x=prCh, model="tar", maxlag=mx, thresh=t.tar)); plot(g3)</pre>
(g4 <-ciTarLag(y=prVi, x=prCh, model="mtar",maxlag=mx, thresh=t.mtar)); plot(g4)</pre>
# Table 3 Results of EG and threshold cointegration tests
# Note: Some results in Table 3 in the published paper were incorrect because
# of a mistake made when the paper was done in 2009. I found the mistake when
# the package was build in later 2010. For example, for the consistent MTAR,
  the coefficient for the positive term was reported as -0.251 (-2.130) but
#
  it should be -0.106 (-0.764), as cacluated from below codes.
#
# The main conclusion about the research issue is still qualitatively the same.
vv < -3
(f1 <- ciTarFit(y=prVi, x=prCh, model="tar", lag=vv, thresh=0</pre>
                                                                      ))
(f2 <- ciTarFit(y=prVi, x=prCh, model="tar", lag=vv, thresh=t.tar ))</pre>
(f3 <- ciTarFit(y=prVi, x=prCh, model="mtar", lag=vv, thresh=0</pre>
                                                                     ))
(f4 <- ciTarFit(y=prVi, x=prCh, model="mtar", lag=vv, thresh=t.mtar))</pre>
r0 <- cbind(summary(f1)$dia, summary(f2)$dia, summary(f3)$dia,</pre>
 summary(f4)$dia)
diag <- r0[c(1:4, 6:7, 12:14, 8, 9, 11), c(1,2,4,6,8)]
rownames(diag) <- 1:nrow(diag); diag</pre>
```

```
e1 <- summary(f1)$out; e2 <- summary(f2)$out</pre>
e3 <- summary(f3)$out; e4 <- summary(f4)$out; rbind(e1, e2, e3, e4)
ee <- list(e1, e2, e3, e4); vect <- NULL</pre>
for (i in 1:4) {
  ef <- data.frame(ee[i])</pre>
  vect2 <- c(paste(ef[3, "estimate"], ef[3, "sign"], sep=""),</pre>
              paste("(", ef[3, "t.value"], ")",
                                                         sep=""),
              paste(ef[4, "estimate"], ef[4, "sign"], sep=""),
              paste("(", ef[4, "t.value"], ")",
                                                         sep=""))
  vect <- cbind(vect, vect2)</pre>
}
item <- c("pos.coeff","pos.t.value", "neg.coeff","neg.t.value")</pre>
ve <- data.frame(cbind(item, vect)); colnames(ve) <- colnames(diag)</pre>
( res.CI <- rbind(diag, ve)[c(1:2, 13:16, 3:12), ] )</pre>
rownames(res.CI) <- 1:nrow(res.CI)</pre>
# 4. APT + ECM
(sem <- ecmSymFit(y=prVi, x=prCh, lag=4)); names(sem)</pre>
aem <- ecmAsyFit(y=prVi, x=prCh,lag=4, model="mtar", split=TRUE, thresh=t.mtar)</pre>
aem
(ccc <- summary(aem))</pre>
coe <- cbind(as.character(ccc[1:19, 2]),</pre>
  paste(ccc[1:19, "estimate"], ccc$signif[1:19], sep=""), ccc[1:19, "t.value"],
  paste(ccc[20:38,"estimate"], ccc$signif[20:38],sep=""), ccc[20:38,"t.value"])
colnames(coe) <- c("item", "China.est", "China.t", "Vietnam.est", "Vietnam.t")</pre>
(edia <- ecmDiag(aem, 3))</pre>
(ed <- edia[c(1,6,7,8,9), ])</pre>
ed2 <- cbind(ed[,1:2], "_", ed[,3], "_")
colnames(ed2) <- colnames(coe)</pre>
(tes <- ecmAsyTest(aem)$out)</pre>
(tes2 <- tes[c(2,3,5,11,12,13,1), -1])
tes3 <- cbind(as.character(tes2[,1]),</pre>
  paste(tes2[,2], tes2[,6], sep=''), paste("[", round(tes2[,4],2), "]", sep=''),
  paste(tes2[,3], tes2[,7], sep=''), paste("[", round(tes2[,5],2), "]", sep=''))
colnames(tes3) <- colnames(coe)</pre>
(coe <- data.frame(apply(coe, 2, as.character), stringsAsFactors=FALSE))</pre>
(ed2 <- data.frame(apply(ed2, 2, as.character), stringsAsFactors=FALSE))</pre>
(tes3 <- data.frame(apply(tes3,2, as.character), stringsAsFactors=FALSE))</pre>
table.4 <- data.frame(rbind(coe, ed2, tes3))</pre>
table.4
```

ecmAsyFit

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ecmAsyFit

Description

Estimate an asymmetric error correction model (ECM) for two time series.

Usage

```
ecmAsyFit(y, x, lag = 1, split = TRUE,
model = c("linear", "tar", "mtar"), thresh = 0)
```

Arguments

у	dependent or left-side variable for the long-run regression.
х	independent or right-side variable for the long-run regression.
lag	number of lags for variables on the right side.
split	a logical value (default of TRUE) of whether the right-hand variables should be split into positive and negative parts.
model	a choice of three models: linear, tar, or mtar cointegration.
thresh	a threshold value; this is only required when the model is specified as 'tar' or 'mtar.'

Details

There are two specifications of an asymmetric ECM. The first one is how to calculate the error correction terms. One way is through linear two-step Engle Granger approach, as specificied by model="linear". The other two ways are threshold cointegration by either 'tar' or 'mtar' with a threshold value. The second specification is related to the possible asymmetric price transmission in the lagged price variables, as specified in split = TRUE. Note that the linear cointegration specification is a special case of the threshold cointegration. A model with model="linear" is the same as a model with model="tar", thresh = 0.

Value

Return a list object of class "ecm" and "ecmAsyFit" with the following components:

У	dependend variable
x	independent variable
lag	number of lags
split	logical value of whether the right-hand variables are split
model	model choice
IndVar	data frame of the right-hand variables used in the ECM
name.x	name of the independent variable
name.y	name of the dependent variable
ecm.y	ECM regression for the dependent variable
ecm.x	ECM regression for the independent variable
data	all the data combined for the ECM
thresh	thresh value for TAR and MTAR model

Methods

Two methods are defined as follows:

print: showing the key outputs.

summary: summarizing thekey outputs.

Author(s)

Changyou Sun (<edwinsun258@gmail.com>)

References

Enders, W., and C.W.J. Granger. 1998. Unit-root tests and asymmetric adjustment with an example using the term structure of interest rates. Journal of Business & Economic Statistics 16(3):304-311.

See Also

print.ecm; summary.ecm; ecmDiag; and ecmAsyTest.

Examples

see example at daVich

ecmAsyTest

Hypothesis Tests on Asymmetric Error Correction Model

Description

Conduct several F-tests on the coefficients from asymmetric ECM.

Usage

ecmAsyTest(w, digits = 3)

Arguments

W	an object of 'ecmAsyFit' class.
digits	number of digits used in rounding outputs.

Details

There are two ECM equations for the two price series. In each equation, four types of hypotheses are tested; equilibrium adjustment path symmetry on the error correction terms (H1), Granger causality test (H2), distributed lag symmetry at each lag (H3), and cumulative asymmetry of all lags (H4). The latter two tests are only feasible and available for models with split variables. The number of H3 tests is equal to the number of lags.

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ecmAsyTest

Value

Return a list object with the following components:

H1ex	H01 in equation x: equilibrium adjustment path symmetry
H1ey	H01 in equation y: equilibrium adjustment path symmetry
H2xx	H02 in equation x: x does not Granger cause x
H2yx	H02 in equation y: x does not Granger cause y
H2xy	H02 in equation x: y does not Granger cause x
Н2уу	H02 in equation y: y does not Granger cause y
H3xx	H03 in equation x: distributed lag symmetry of x at each lag
НЗух	H03 in equation y: distributed lag symmetry of x at each lag
НЗху	H03 in equation x: distributed lag symmetry of y at each lag
НЗуу	H03 in equation y: distributed lag symmetry of y at each lag
H4xx	H04 in equation x: cumulative asymmetry of x for all lags
H4yx	H04 in equation y: cumulative asymmetry of x for all lags
H4xy	H04 in equation x: cumulative asymmetry of y for all lags
Н4уу	H04 in equation y: cumulative asymmetry of y for all lags
out	summary of the four types of hypothesis tests

Methods

One method is are defined as follows:

print: This shows the out component in the returned list object.

Author(s)

Changyou Sun (<edwinsun258@gmail.com>)

References

Frey, G., and M. Manera. 2007. Econometric models of asymmetric price transmission. Journal of Economic Surveys 21(2):349-415.

See Also

ecmAsyFit and ecmDiag.

Examples

ecmDiag

Description

Report a set of diagnostic statistics for symmetric or asymmetric error correction models

Usage

ecmDiag(m, digits = 2)

Arguments

m	an object of class ecm from the function of ecmAsyFit or ecmSymFit.
digits	number of digits used in rounding outputs.

Details

Compute several diagnostic statistics for each ECM equation. This is mainly used to assess the serial correlation in the residuals and model adequacy.

Value

Return a data frame object with the following components by equation: R-squared, Adjusted R-squared, F-statistic, Durbin Watson statistic, p-value for DW statistic, AIC, BIC, and p-value of Ljung_Box Q statistics with 4, 8, 12 autocorrelation coefficients.

Author(s)

Changyou Sun (<edwinsun258@gmail.com>)

References

Enders, W. 2004. Applied Econometric Time Series. John Wiley & Sons, Inc., New York. 480 P.

See Also

ecmAsyFit; ecmSymFit; and ecmDiag.

Examples

ecmSymFit

Description

Estimate a symmetric error correction model (ECM) for two time series.

Usage

ecmSymFit(y, x, lag = 1)

Arguments

У	dependent or left-side variable for the long-run regression.
x	independent or right-side variable for the long-run regression.
lag	number of lags for variables on the right side.

Details

The package apt focuses on price transmission between two series. This function estimates a standard error correction model for two time series. While it can be extended for more than two series, it is beyond the objective of the package now.

Value

Return a list object of class "ecm" and "ecmSymFit" with the following components:

У	dependend variable
х	independent variable
lag	number of lags
data	all the data combined for the ECM
IndVar	data frame of the right-hand variables used in the ECM
name.x	name of the independent variable
name.y	name of the dependent variable
ecm.y	ECM regression for the dependent variable
ecm.x	ECM regression for the independent variable

Author(s)

Changyou Sun (<edwinsun258@gmail.com>)

References

Enders, W. 2004. Applied Econometric Time Series. John Wiley & Sons, Inc., New York. 480 P.

See Also

print.ecm; summary.ecm; ecmDiag; and ecmAsyFit.

Examples

see example at daVich

print.ecm

Printing Outputs from Error Correction Models

Description

Show main outputs from symmetric ecmSymFit or asymmetric ecmAsyFit error correction models.

Usage

```
## S3 method for class 'ecm'
print(x, ...)
```

Arguments

х	an object of class ecm from the function of ecmAsyFit or ecmSymFit.
	additional arguments to be passed.

Details

This is the print method for ecmAsyFit or ecmSymFit to show main model outputs.

Value

Summary results of the two ECM equations are shown for the two focal price series.

Author(s)

Changyou Sun (<edwinsun258@gmail.com>)

See Also

ecmSymFit and ecmAsyFit.

Examples

see example at daVich

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summary.ciTarFit Summary of Results from Threshold Cointegration Regression

Description

This summarizes the main results from threshold cointegration regression.

Usage

```
## S3 method for class 'ciTarFit'
summary(object, digits=3, ...)
```

Arguments

object	an object of class 'ciTarFit'.
digits	number of digits for rounding outputs.
	additional arguments to be passed.

Details

This wraps up the outputs from threshold cointegration regression in two data frames, one for diagnostic statistics and the other for coefficients.

Value

A list with two data frames. dia contains the main model specifications and hypothesis test results. out contains the regression results for both the long run (LR) and threshold cointegration (CI).

Author(s)

Changyou Sun (<edwinsun258@gmail.com>)

See Also

ciTarFit.

Examples

summary.ecm

Description

This summarizes the main results from error correction models.

Usage

```
## S3 method for class 'ecm'
summary(object, digits=3, ...)
```

Arguments

object	an object of class ecm from the function of ecmAsyFit or ecmSymFit.
digits	number of digits for rounding outputs
	additional arguments to be passed.

Details

This wraps up the coefficents and statistics from ECM by equation.

Value

A data frame object with coefficients and related statistics by equation.

Author(s)

Changyou Sun (<edwinsun258@gmail.com>)

See Also

ecmSymFit and ecmAsyFit.

Examples

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