

# Package ‘SFPL’

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**Type** Package

**Title** Sparse Fused Plackett-Luce

**Imports** pracma, gtools

**Version** 1.0.0

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**Description** Implements the methodological developments found in Hermes, van Heerwaarden, and Behrouzi (2024) <[doi:10.48550/arXiv.2308.04325](https://doi.org/10.48550/arXiv.2308.04325)>, and allows for the statistical modeling of multi-group rank data in combination with object variables. The package also allows for the simulation of synthetic multi-group rank data.

**License** GPL-3

**Encoding** UTF-8

**LazyData** true

**Depends** R (>= 3.10)

**NeedsCompilation** no

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**Repository** CRAN

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**data\_sim***Rank data simulation***Description**

Simulates (partial) rank data for multiple groups together with object variables.

**Usage**

```
data_sim(m, M, n, p, K, delta, eta)
```

**Arguments**

<i>m</i>	Length of the partial ranking for each observation.
<i>M</i>	Total number of objects.
<i>n</i>	Number of observations (rankers) per group.
<i>p</i>	Number of object variables.
<i>K</i>	Number of groups.
<i>delta</i>	Approximate fraction of different coefficients across the $\beta^{(k)}$ .
<i>eta</i>	Approximate fraction of sparse coefficients in $\beta^{(k)}$ for all <i>k</i> .

**Value**

<i>y</i>	A list consisting of <i>K</i> matrices with each matrix containing (partial) rankings across <i>n</i> observations for group <i>k</i> .
<i>x</i>	A <i>M</i> $\times$ <i>p</i> matrix containing the values for the <i>p</i> objects variables across the <i>M</i> objects.
<i>beta</i>	A <i>p</i> $\times$ <i>K</i> matrix containing the true value of $\beta$ , which was used to generate <i>y</i> .

**Author(s)**

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**References**

1. Hermes, S., van Heerwaarden, J., and Behrouzi, P. (2024). Joint Learning from Heterogeneous Rank Data. arXiv preprint, arXiv:2407.10846

**Examples**

```
data_sim(3, 10, 50, 5, 2, 0.25, 0.25)
```

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ghana	<i>Ranking data</i>
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## Description

This is a real dataset containing information on 5 object variables describing the properties of 13 different sweet potato varieties. In addition, the dataset contains partial rankings made by men and women from Ghana.

## Usage

```
data("ghana")
```

## Format

A list with three dataframes. The first consists of the rankings made by men, the second consists of the rankings made by women and the third contain the object variables.

## Details

Contains a subset of the data used in the Hermes et al. (2024) paper.

## Source

Data from the Hermes et al. (2024) paper is based on Moyo et al. (2021).

## References

1. Hermes, S., van Heerwaarden, J., and Behrouzi, P. (2024). Joint Learning from Heterogeneous Rank Data. arXiv preprint, arXiv:2407.10846
2. Moyo, M., R. Ssali, S. Namanda, M. Nakitto, E. K. Dery, D. Akansake, J. Adjebeng-Danquah, J. van Etten, K. de Sousa, H. Lindqvist-Kreuze, et al. (2021). Consumer preference testing of boiled sweetpotato using crowdsourced citizen science in Ghana and Uganda. *Frontiers in Sustainable Food Systems* 5, 620363.

## Examples

```
data(ghana)
```

---

**sfp1***Sparse Fused Plackett-Luce*

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**Description**

Contains the main function of this package that is used to estimate the parameter of interest  $\beta$ . The inner workings of the function are described in Hermes et al., (2024).

**Usage**

```
sfp1(x, y, ls_vec, lf_vec, epsilon, verbose)
```

**Arguments**

x	A $M \times p$ matrix containing the values for the $p$ objects variables across the $M$ objects.
y	A list consisting of $K$ matrices with each matrix containing (partial) rankings across $n$ observations for group $k$ .
ls_vec	Vector containing shrinkage parameters.
lf_vec	Vector containing fusion penalty parameters.
epsilon	Small positive value used to ensure that the penalty function is differentiable. Typically set at $10^{-5}$ .
verbose	Boolean that returns the process of the parameter estimation.

**Value**

beta_est	A list of length ls_vec $\times$ lf_vec that contains the parameter estimates $\hat{\beta}$ for each combination of ls_vec and lf_vec.
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**References**

1. Hermes, S., van Heerwaarden, J., and Behrouzi, P. (2024). Joint Learning from Heterogeneous Rank Data. arXiv preprint, arXiv:2407.10846

## Examples

```
# we first obtain the rankings and object variables
data(ghana)
y <- list(ghana[[1]], ghana[[2]])
x <- ghana[[3]]

# our next step consists of creating two vectors for the penalty parameters
ls_vec <- lf_vec <- c(0, 0.25)

# we choose epsilon to be small: 10^(-5), as we did in Hermes et al., (2024)
# now we can fit our model
epsilon <- 10^(-5)
verbose <- FALSE

result <- sfpl(x, y, ls_vec, lf_vec, epsilon, verbose)
```

sfpl\_approx

*Approximate Sparse Fused Plackett-Luce*

## Description

Contains an approximate (typically faster) version of the main function of this package that is used to estimate the parameter of interest  $\beta$ . We recommend this version due to its (relatively) fast convergence.

## Usage

```
sfpl_approx(x, y, ls_vec, lf_vec, epsilon, verbose)
```

## Arguments

x	A $M \times p$ matrix containing the values for the $p$ objects variables across the $M$ objects.
y	A list consisting of $K$ matrices with each matrix containing (partial) rankings across $n$ observations for group $k$ .
ls_vec	Vector containing shrinkage parameters.
lf_vec	Vector containing fusion penalty parameters.
epsilon	Small positive value used to ensure that the penalty function is differentiable. Typically set at $10^{-5}$ .
verbose	Boolean that returns the process of the parameter estimation.

## Value

beta_est	A list of length $ls\_vec \times lf\_vec$ that contains the parameter estimates $\hat{\beta}$ for each combination of $ls\_vec$ and $lf\_vec$ .
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**References**

1. Hermes, S., van Heerwaarden, J., and Behrouzi, P. (2024). Joint Learning from Heterogeneous Rank Data. arXiv preprint, arXiv:2407.10846

**Examples**

```
# we first obtain the rankings and object variables
data(ghana)
y <- list(ghana[[1]], ghana[[2]])
x <- ghana[[3]]

# our next step consists of creating two vectors for the penalty parameters
ls_vec <- lf_vec <- c(0, 0.25)

# we choose epsilon to be small: 10^(-5), as we did in Hermes et al., (2024)
# now we can fit our model
epsilon <- 10^(-5)
verbose <- FALSE

result <- sfpl_approx(x, y, ls_vec, lf_vec, epsilon, verbose)
```

***sfppl\_select****Model selection for SFPL***Description**

This function selects the "best" fitted SFPL model using either the AIC or the BIC, see Hermes et al., (2024).

**Usage**

```
sfppl_select(beta_est, x, y, ls_vec, lf_vec)
```

**Arguments**

<i>beta_est</i>	A list of length <i>ls_vec</i> × <i>lf_vec</i> that contains the parameter estimates $\hat{\beta}$ , using either <i>sfppl</i> or <i>sfppl_approx</i> , for each combination of <i>ls_vec</i> and <i>lf_vec</i> .
<i>x</i>	A $M \times p$ matrix containing the values for the $p$ objects variables across the $M$ objects.

y	A list consisting of $K$ matrices with each matrix containing (partial) rankings across $n$ observations for group $k$ .
ls_vec	Vector containing shrinkage parameters.
lf_vec	Vector containing fusion penalty parameters.

**Value**

model_aic	A $p \times K$ matrix containing the parameter estimates using the penalty parameters $\lambda_s, \lambda_f$ as chosen by the AIC.
model_bic	A $p \times K$ matrix containing the parameter estimates using the penalty parameters $\lambda_s, \lambda_f$ as chosen by the BIC.

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**References**

1. Hermes, S., van Heerwaarden, J., and Behrouzi, P. (2024). Joint Learning from Heterogeneous Rank Data. arXiv preprint, arXiv:2407.10846

**Examples**

```
# we first obtain the rankings and object variables
data(ghana)
y <- list(ghana[[1]], ghana[[2]])
x <- ghana[[3]]

# our next step consists of creating two vectors for the penalty parameters
ls_vec <- lf_vec <- c(0, 0.25)

# we choose epsilon to be small: 10^(-5), as we did in Hermes et al., (2024)
# now we can fit our model
epsilon <- 10^(-5)
verbose <- FALSE

result <- sfpl_approx(x, y, ls_vec, lf_vec, epsilon, verbose)

# now we select the best models using our model selection function
sfpl_select(result, x, y, ls_vec, lf_vec)
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